

RECOMMENDATIONS ON PRESENTING MATHEMATICAL SOLUTIONS

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RECOMMENDATIONS

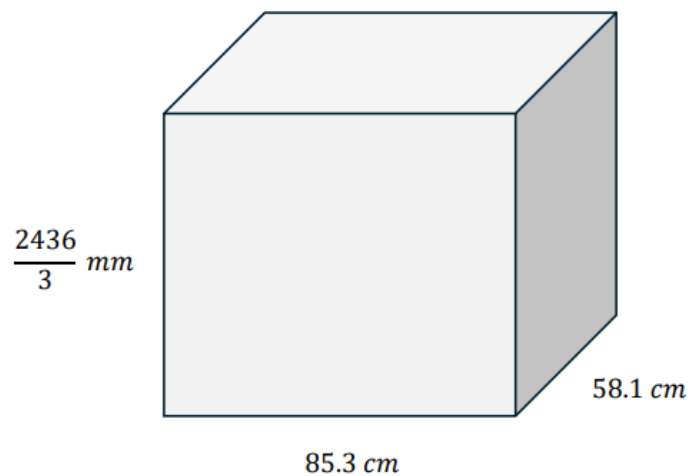
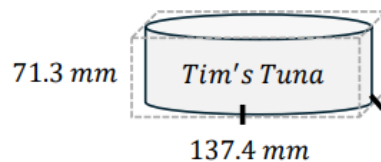
When a teacher or marker reads our solutions to mathematical problems, arguably what is most important to them should not be whether or not our final answer is correct, but instead whether or not *the way* that we reached our final answer is correct.

So, we should ensure that we present the steps that we took in order to reach our final answer in a way that is easy for our marker to follow.

Let us learn how to do this by answering the following example problem.

Example 1

Determine the number of cans of *Tim's Tuna* that will fit inside the packing box.



PLAN YOUR ANSWER

This can be done in your head, or on a separate piece of paper. To 'plan', note what steps you will need to make in order to solve the problem.

For the tuna question, this might look like:

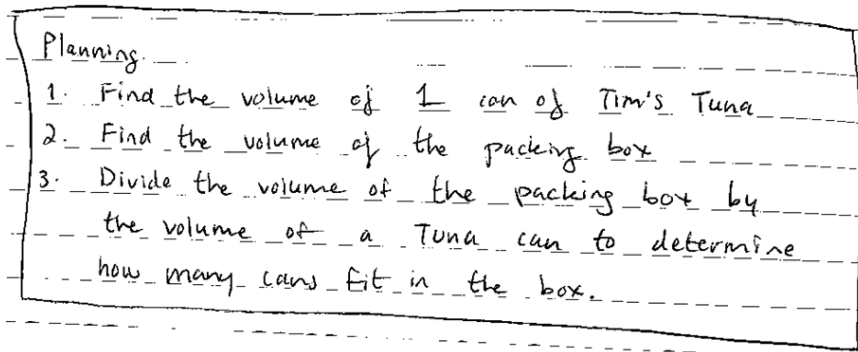


Figure 1. Planning

USE HEADINGS

Once you have planned the steps that you will make, use each step as a *heading* within your solution, and perform your calculations underneath.

It may be useful to your marker if you write each step as a question and use your calculations to answer said question.

1. What is the volume of 1 can of Tim's Tuna? Q

$$V = \text{length} \times \text{width} \times \text{height}$$
$$V_{\text{can}} = 137.4 \text{ mm} \times 137.4 \text{ mm} \times 71.3 \text{ mm}$$
$$= 18,878 \text{ mm}^2 \times 71.3 \text{ mm}$$
$$= 1,346,001.4 \text{ mm}^3$$
 A

Figure 2. Heading

2. What is the volume of the packing box?

$$V = \text{length} \times \text{width} \times \text{height}$$
$$V_{\text{box}} = \frac{2436}{3} \text{ mm} \times 85.3 \text{ cm} \times 58.1 \text{ cm}$$
$$= 812 \text{ mm} \times 853 \text{ mm} \times 581 \text{ mm}$$
$$= 692,636 \text{ mm}^2 \times 581 \text{ mm}$$
$$= 402,421,516 \text{ mm}^3$$

Figure 3. Another heading

STATE FORMULAE USED

If you need to use a formula in order to do your calculations, ensure that you write out the *general form* of the formula first, before you apply the numbers from your problem question.

1. What is the volume of 1 can of Tim's Tuna?

1 $V = \text{length} \times \text{width} \times \text{height}$

2 $V_{\text{can}} = 137.4 \text{ mm} \times 137.4 \text{ mm} \times 71.3 \text{ mm}$

$$= 19,878 \text{ mm}^2 \times 71.3 \text{ mm}$$
$$= 1,346,001.4 \text{ mm}^3$$

Figure 4. Stating the volume formula

NEW LINES AND LINE SPACING

In order to keep our calculations neat and easy for our marker to follow, we can leave one line of space between our steps.

2- What is the volume of the packing box?

$$V = \text{length} \times \text{width} \times \text{height}$$

1 $V_{\text{box}} = \frac{2436}{3} \text{ mm} \times 85.3 \text{ cm} \times 58.1 \text{ cm}$

2 $= 812 \text{ mm} \times 853 \text{ mm} \times 581 \text{ mm}$

3 $= 692,636 \text{ mm}^2 \times 581 \text{ mm}$

4 $= 402,421,516 \text{ mm}^3$

Figure 5. Line spacing

It will also be easier for our marker to follow our calculations if we do only 1-2 calculations per line.

EXERCISE 1

Can you identify what calculations were done on each line in **Figure 5**?

Line Number	Calculation
1	
2	
3	
4	

VARIABLE LABELS

When solving for *variables* (meaning, values that can change) such as *area* or *volume* in our calculations, we should add *labels* to these variables where possible.

$$\begin{aligned} 3. \text{ How many tuna cans fit in the box?} \\ \text{Number of cans} &= \frac{V_{\text{box}}}{V_{\text{can}}} \\ &= \frac{402,421,516 \text{ mm}^3}{1,346,001.4 \text{ mm}^3} \\ &\approx 298 \text{ cans} \end{aligned}$$

Figure 6. Variable labels

Because, if I were to write $V = 2 \times 3 \times 4$, my marker will know that I am calculating volume, but they may ask

“What is he calculating the volume of?”

Whereas if I write $V_{\text{can}} = 2 \text{ cm} \times 3 \text{ cm} \times 4 \text{ cm}$, my marker will know that I am calculating the volume of the can! (and roughly how large the can is, but we will discuss that next ...)

UNITS

If the problem question provides us with *units* for the quantities that we are doing calculations with (e.g. 3 cm or 4 kg), we should make sure to continue to write them in each line of our calculations.

2- What is the volume of the packing box?

$$V = \text{length} \times \text{width} \times \text{height}$$
$$V_{\text{box}} = \frac{2436}{3} \text{ mm} \times 85.3 \text{ cm} \times 58.1 \text{ cm}$$
$$= 812 \text{ mm} \times 853 \text{ mm} \times 581 \text{ mm}$$
$$= 692,636 \text{ mm}^2 \times 581 \text{ mm}$$
$$= 402,421,516 \text{ mm}^3$$

Figure 7. Units

Writing units on each line also prevents us from making small errors which may lose us marks in a test or exam. For example,

- Forgetting to write units in our final answer
E.g. 298 instead of 298 *cans*
- Forgetting to convert numbers to the same units

E.g. to find the area of a rectangle with a length of 3 cm and a width of 20 mm , we do not do 20×3 , as these represent different units (*cm* vs *mm*)

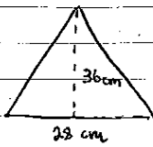
But if we write units the entire way, we can avoid this mistake!

$$\begin{aligned} A_{\text{rectangle}} &= 3\text{ cm} \times 20\text{ mm} \\ &= 3\text{ cm} \times 2\text{ cm} \\ &= 6\text{ cm}^2 \end{aligned}$$

OTHER CALCULATIONS

If we need to do addition, subtraction, multiplication or division by hand (i.e. without a calculator) in order to solve our problem, we should do these calculations on a scratch piece of paper, or *clearly* off to the side of our main calculations, so that we do not confuse our marker.

Q: Find the area of the floor



1. What is the area of the floor?

$A_{\text{Triangle}} = \frac{1}{2} \times \text{base} \times \text{height}$
 $A_{\text{Floor}} = \frac{1}{2} \times 28 \text{ cm} \times 36 \text{ cm}$
 $= \frac{1}{2} \times 1008 \text{ cm}^2$
 $= 504 \text{ cm}^2$

Extra calculations

$\begin{array}{r} 28 \\ \times 36 \\ \hline 168 \\ 840 \\ \hline 1008 \end{array}$	$\begin{array}{r} 504 \\ 2 \overline{)1008} \\ \underline{1008} \\ 0 \end{array}$
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The diagram shows a triangle with a base of 28 cm and a height of 36 cm. Below the diagram, the main calculation is shown: $A_{\text{Triangle}} = \frac{1}{2} \times \text{base} \times \text{height}$, $A_{\text{Floor}} = \frac{1}{2} \times 28 \text{ cm} \times 36 \text{ cm}$, $= \frac{1}{2} \times 1008 \text{ cm}^2$, and $= 504 \text{ cm}^2$. To the right, the extra calculations are shown: a multiplication of 28 by 36 resulting in 1008, and a division of 1008 by 2 resulting in 504. The main calculation is bracketed on the left with the word 'main' and the extra calculations are bracketed on the right with the word 'extra'.

Figure 8. Separating main and extra calculations